

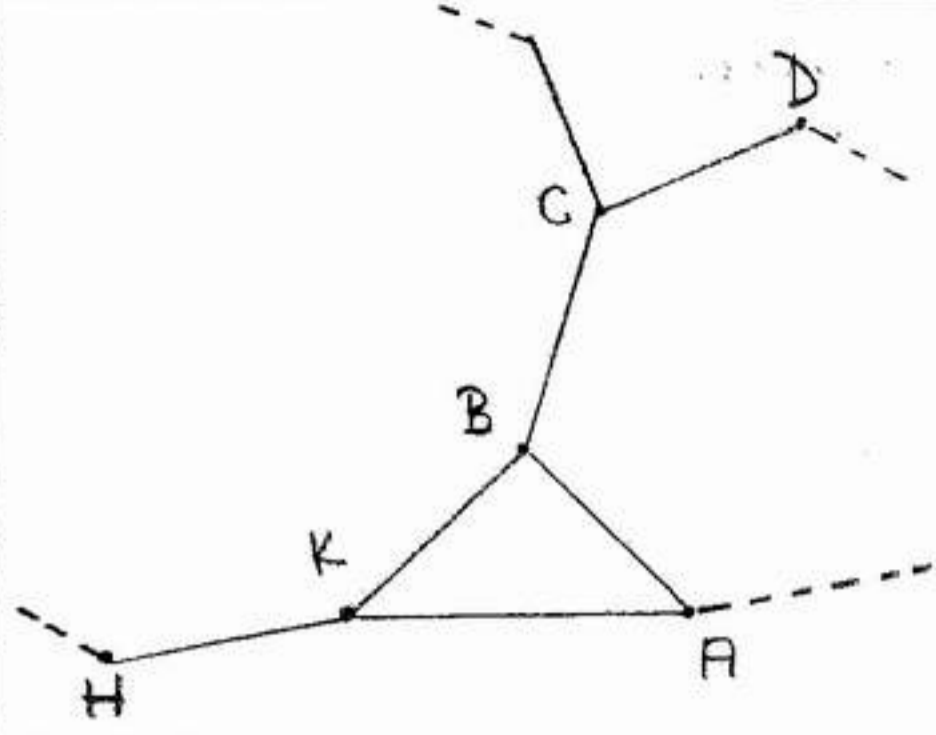
11

Ad Soyad

No

1

10 puan



ABCD... düzgün sekizgen
CBKH... düzgün yirmidörtgen
 $|CD|=4 \rightarrow |AK|=?$

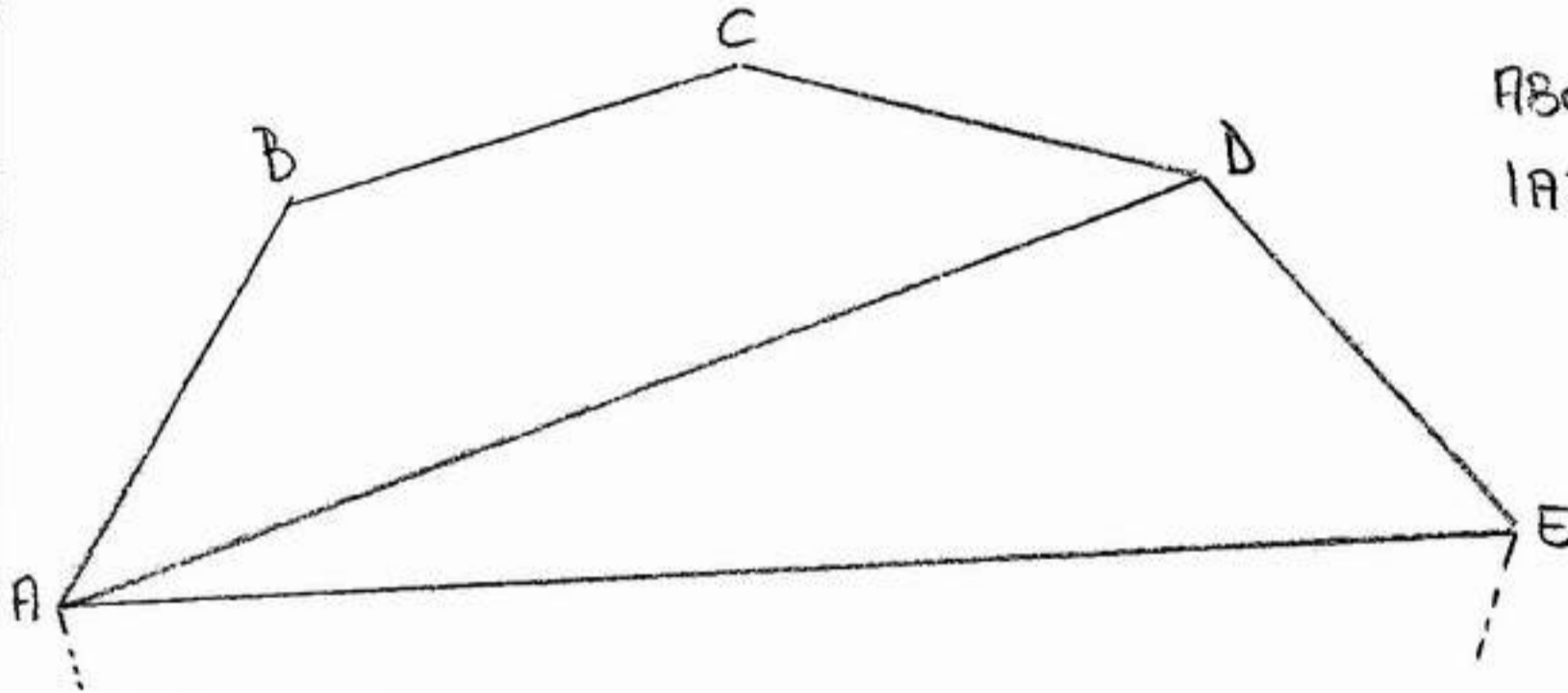
2

10 puan

n kenarlı dışbükey bir çokgenin köşegen sayısının $\frac{n \cdot (n-3)}{2}$ olduğunu gösterin.

3

10 puan



ABCDE... düzgün onsekizgen
 $|AD|=a \wedge |DE|=b \wedge |AE|=c \rightarrow \angle CAE=?$

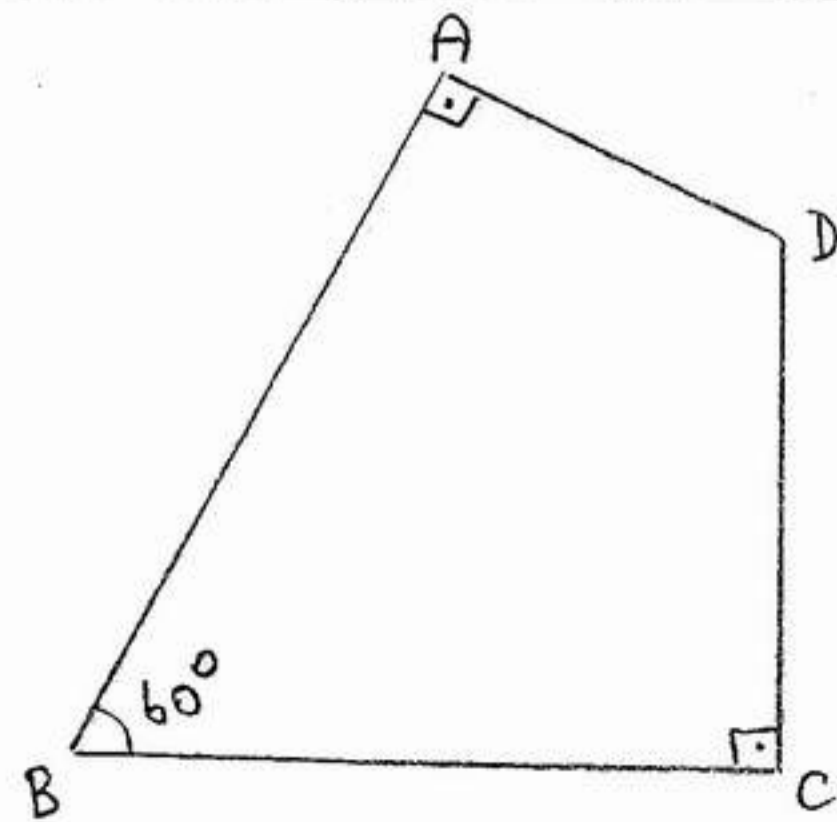
4

10 puan

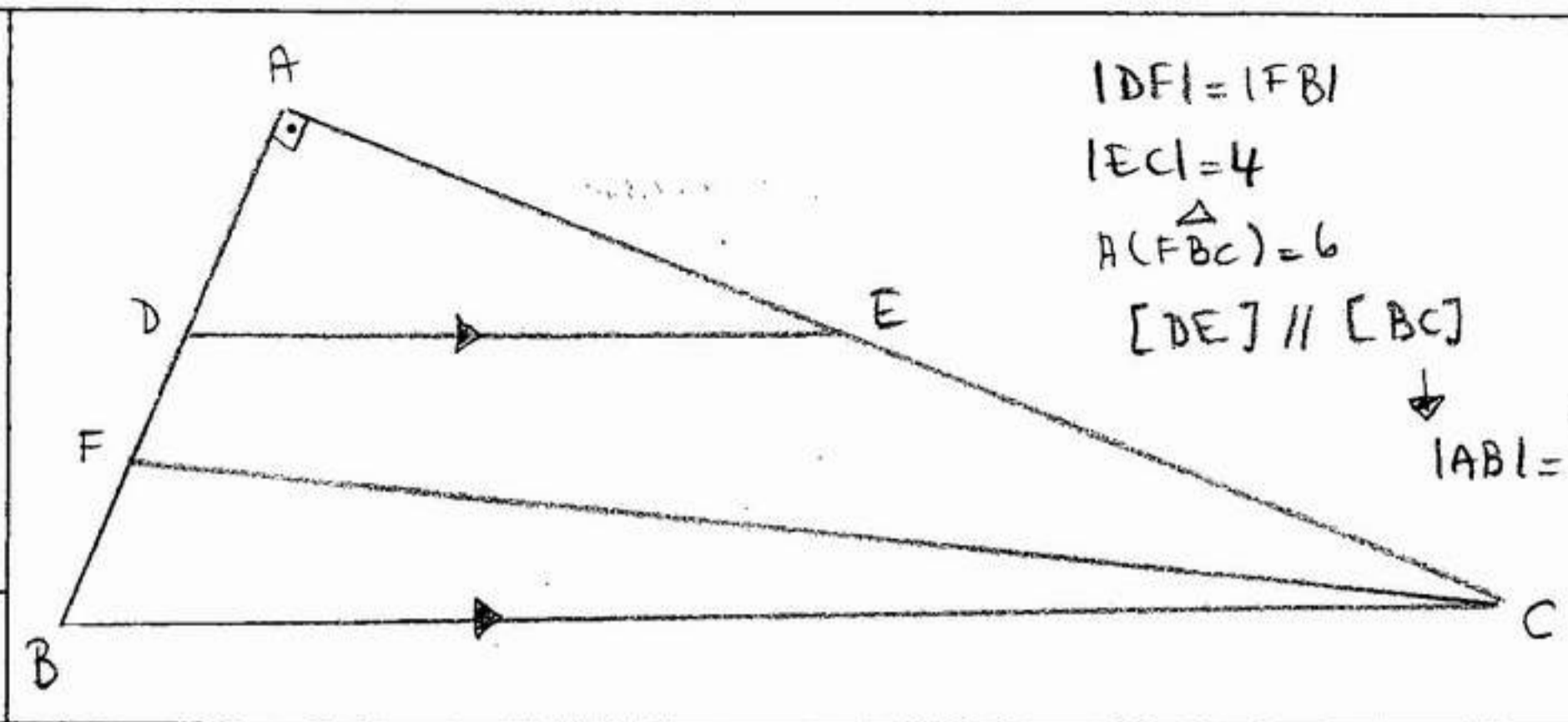
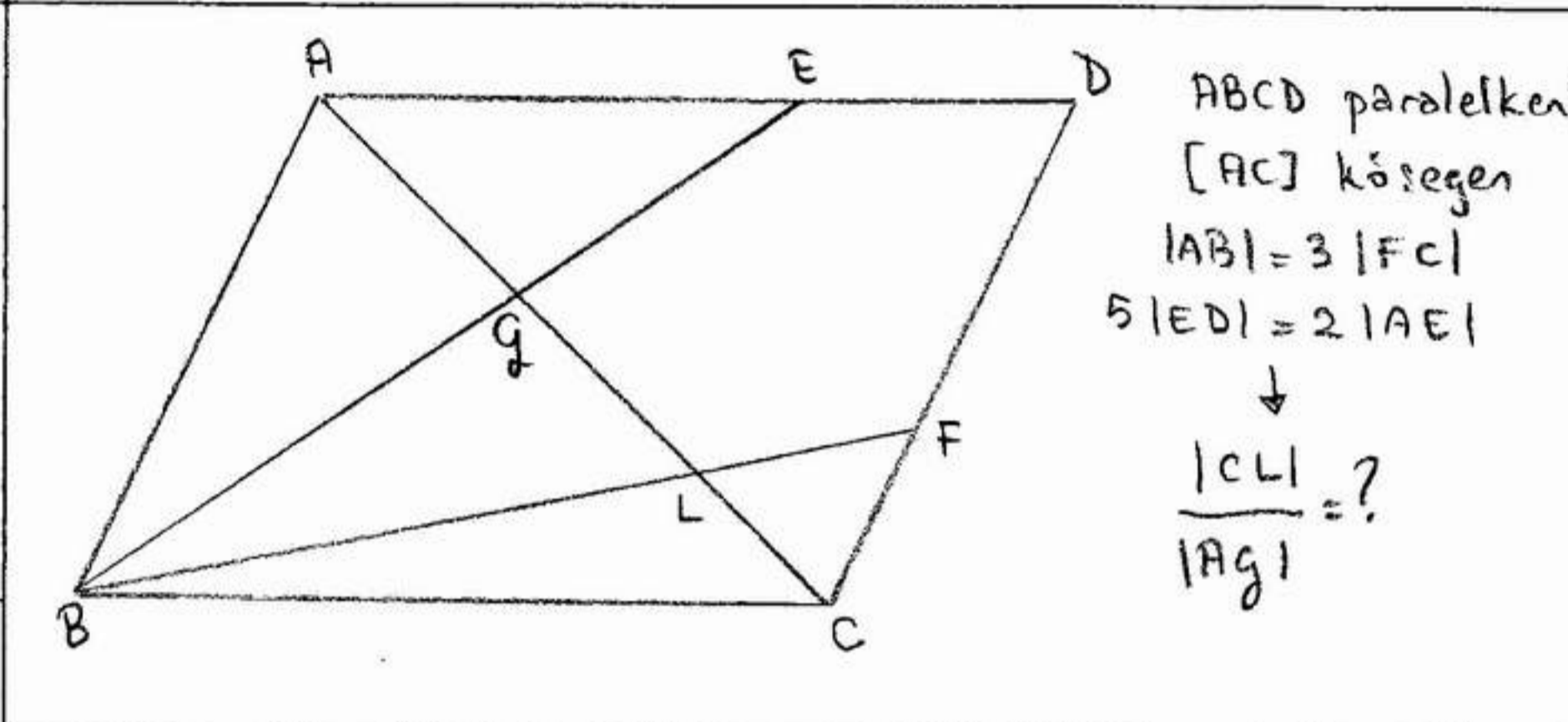
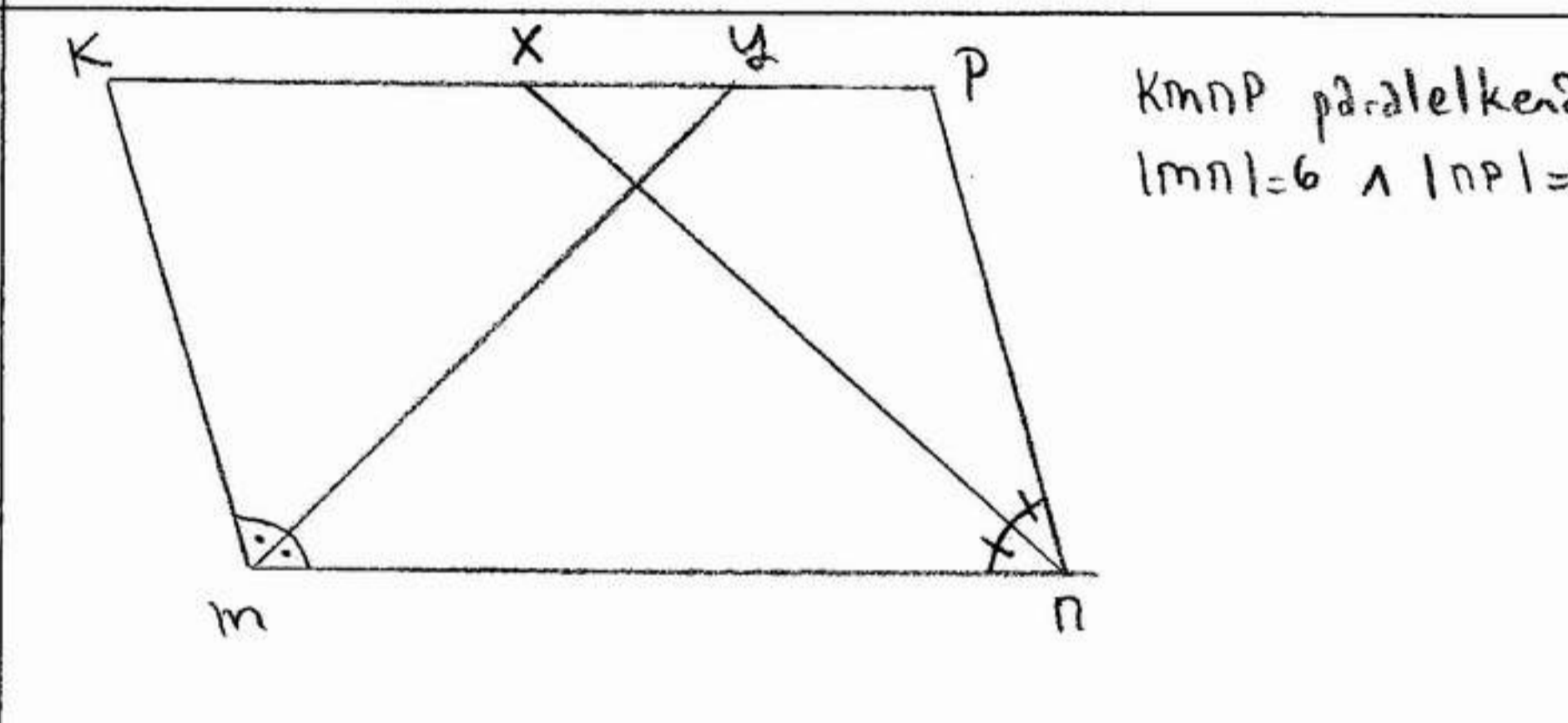
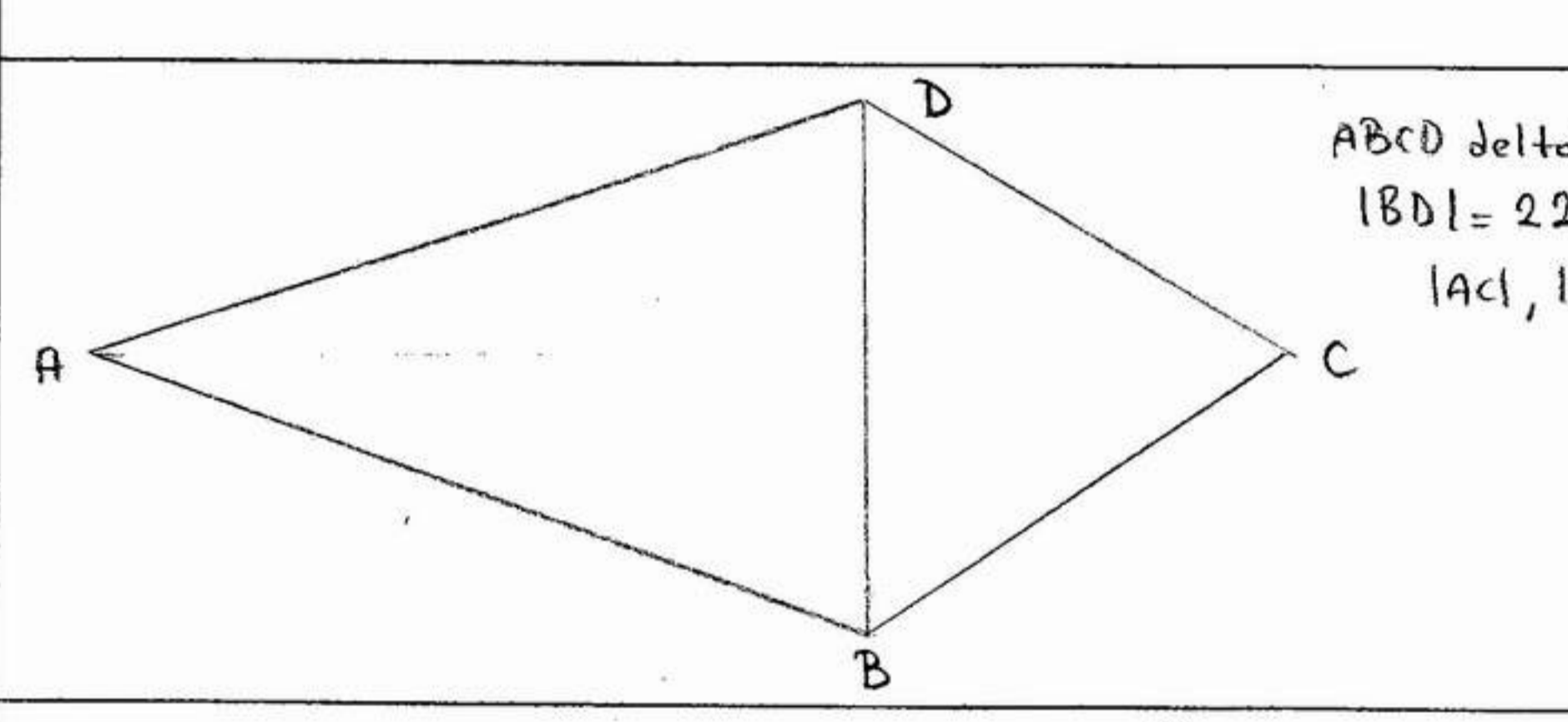
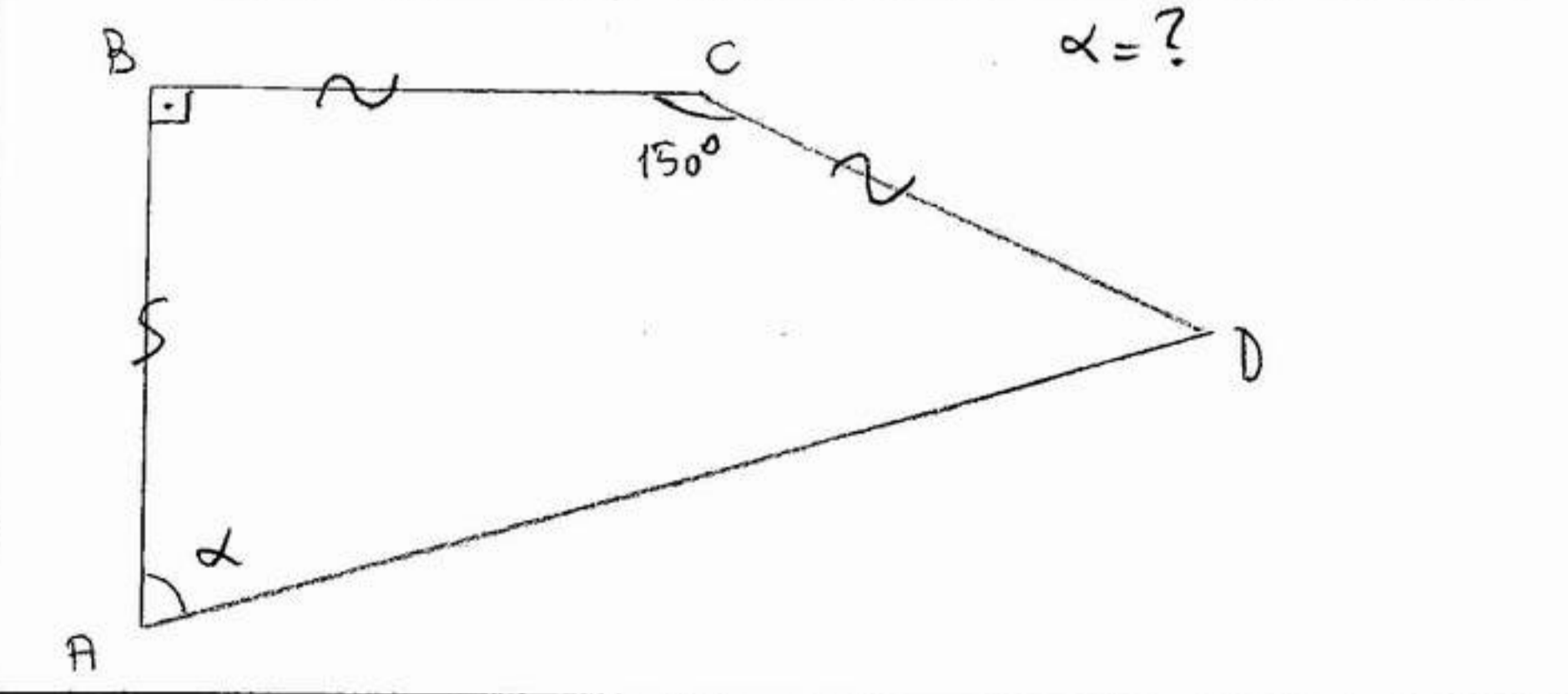
ABCD dörtgeninde $m(\hat{A})=m(\hat{C})$ ve $m(\hat{B})=70^\circ$.
 \hat{A} ve \hat{C} sırasıyla; 5 ve 7 adet ışınla, herbirinin ölçüsü tam sayı olan eş açılara bölünmüştür.
minimum $[m(\hat{D})]=?$

5

10 puan



$|AB|=3\sqrt{3}|AD|$
 $|DC|=4$
 \downarrow
 $|BC|=?$

<p>6</p> <p>10 puan</p>	 <p> $DF = FB$ $EC = 4$ $A(\triangle FBC) = 6$ $[DE] \parallel [BC]$ \downarrow $AB = ?$ </p>
<p>7</p> <p>10 puan</p>	 <p> $ABCD$ paralelkenar $[AC]$ köşegen $AB = 3 FC$ $5 ED = 2 AE$ \downarrow $\frac{ CL }{ AG } = ?$ </p>
<p>8</p> <p>10 puan</p>	 <p> $KMPN$ paralelkenar $m = 6 \wedge n = 4 \rightarrow xy = ?$ </p>
<p>9</p> <p>10 puan</p>	 <p> $ABCD$ deltoid $\wedge AD = AB$ $BD = 22$ $AC , AD , DC \in \mathbb{Z} \rightarrow A(ABCD) = ?$ </p>
<p>10</p> <p>10 puan</p>	 <p> $\alpha = ?$ </p>